

**Question #214****Answer: A**

Let  $\pi$  be the benefit premium at issue.

$$\begin{aligned}\pi &= 10,000 \frac{A_{\overline{45:20}|}}{\ddot{a}_{\overline{45:20}|}} = 10,000 \frac{[0.20120 - 0.25634(0.43980) + 0.25634]}{14.1121 - 0.25634(9.8969)} \\ &= 297.88\end{aligned}$$

The expected prospective loss at age 60 is

$$\begin{aligned}10,000 {}_{15}V_{\overline{45:20}|} &= 10,000 A_{\overline{60:5}|} - 297.88 \ddot{a}_{\overline{60:5}|} \\ &= 10,000 \times 0.7543 - 297.88 \times 4.3407 \\ &= 6250\end{aligned}$$

where  $A_{\overline{60:5}|}^1 = 0.36913 - 0.68756(0.4398) = 0.06674$

$$A_{\overline{60:5}|}^{\frac{1}{2}} = 0.68756$$

$$A_{\overline{60:5}|} = 0.06674 + 0.68756 = 0.7543$$

$$\ddot{a}_{\overline{60:5}|} = 11.1454 - 0.68756 \times 9.8969 = 4.3407$$

After the change, expected prospective loss =  $10,000 A_{\overline{60:5}|}^1 + (\text{Reduced Amount}) A_{\overline{60:5}|}^{\frac{1}{2}}$

Since the expected prospective loss is the same

$$6250 = (10,000)(0.06674) + (\text{Reduced Amount})(0.68756)$$

Reduced Amount = 8119